How do you calculate the volume of an iceberg?

Activity Time: 30 minutes

Background
Sea ice floats because as water freezes, the molecules expand and become less dense than the sea water. Less dense objects float. With icebergs, the density is not a lot less, however, as 80-90% of icebergs are under water. Ice has a density of 0.92 g/mL and water has a density of 1.0 g/mL. Students will discover how much ice floats above water and calculate its volume.

Directions
1. Freeze a rectangular or square pan with 2 or more inches of colored water.
2. After the water has frozen (it’s an iceberg!), remove it from the pan and measure its height, length and width.
3. Pour cold water in the container to about 2 inches from the top.
4. Put the frozen iceberg in the container.
5. Mark and measure the height of the ice above the water.
6. Mark and measure the height of the ice below the water.
7. Use the measurements to calculate the total volume of the ice, the volume of the ice above water and the volume of ice below the water.
8. Calculate the percentage of ice that is above and below water.
9. Compare class results.

Discussion
- What was the volume of your iceberg? How did you calculate it? \([\text{Height} \times \text{length} \times \text{width}]\)
- What was the volume of the iceberg above water and below water?
- How did you calculate the percentage above and below?
- In looking at the class results, calculate the average percentage of ice above and below the water for the whole class. How does it compare to 10-20% of icebergs are above water?
- How would you calculate the area of a disc of ice?

Assessment
Complete Assessment 4.3: How do you calculate the volume of an iceberg? [See Rubric 4.3 for scoring.]

Extension
Make an unusual shaped iceberg, float it, and calculate its volume.

Related Activities

Materials
Per Group:
- Frozen ice block (rectangular bowl or pan)
- Food coloring
- Water
- Marker
- Aquarium or clear rectangular container
- Ruler

Vocabulary
Iceberg: mass of freshwater ice that is calved, or broken off, from a glacier or an ice shelf (a huge slab of permanent ice that floats on water).

Volume: in mathematics, the amount of space occupied by a three-dimensional solid body.

ALIGNMENT TO NGSS:
Scientific and Engineering Practices
- Asking questions
- Developing and using models
- Planning and carrying out investigations
- Analyzing and interpreting data
- Using mathematics and computational thinking
- Constructing explanations
- Engaging in argument from evidence
- Obtaining, evaluating, and communicating information

Crosscutting Concepts
- Cause and effect
- Systems and models

Disciplinary Core Ideas
- K-5: ESS2.A; ESS2.C
- 6-8: ESS2.A; ESS2.C; ESS3.A